

# In the Footsteps of Matteo Ricci

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# The Holy Cross Study Tour of China “In the Footsteps of Matteo Ricci”



# Matteo Ricci

At the end of about 18 pages of discussion of the history of Chinese mathematics , Victor Katz writes:

*Finally, in the late sixteenth century, with the arrival of the Jesuit priest Matteo Ricci (1552-1610), Western mathematics entered China and the indigenous tradition began to disappear.*

# Matteo Ricci



# Matteo Ricci



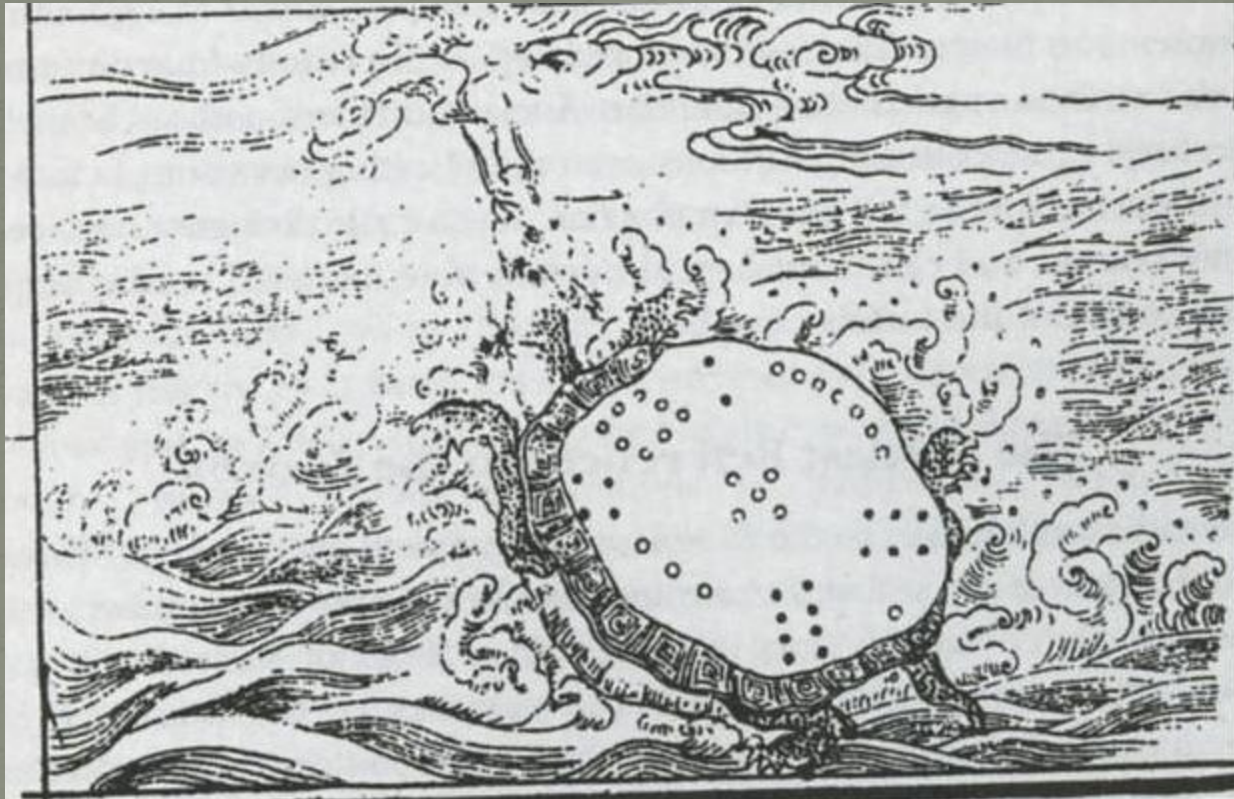
# Xu Guangqi

One notable mathematical contribution of Matteo Ricci was the translation of the first six books of Euclid's *Elements* into Chinese with the help of Xu Guangqi (1562-1633)

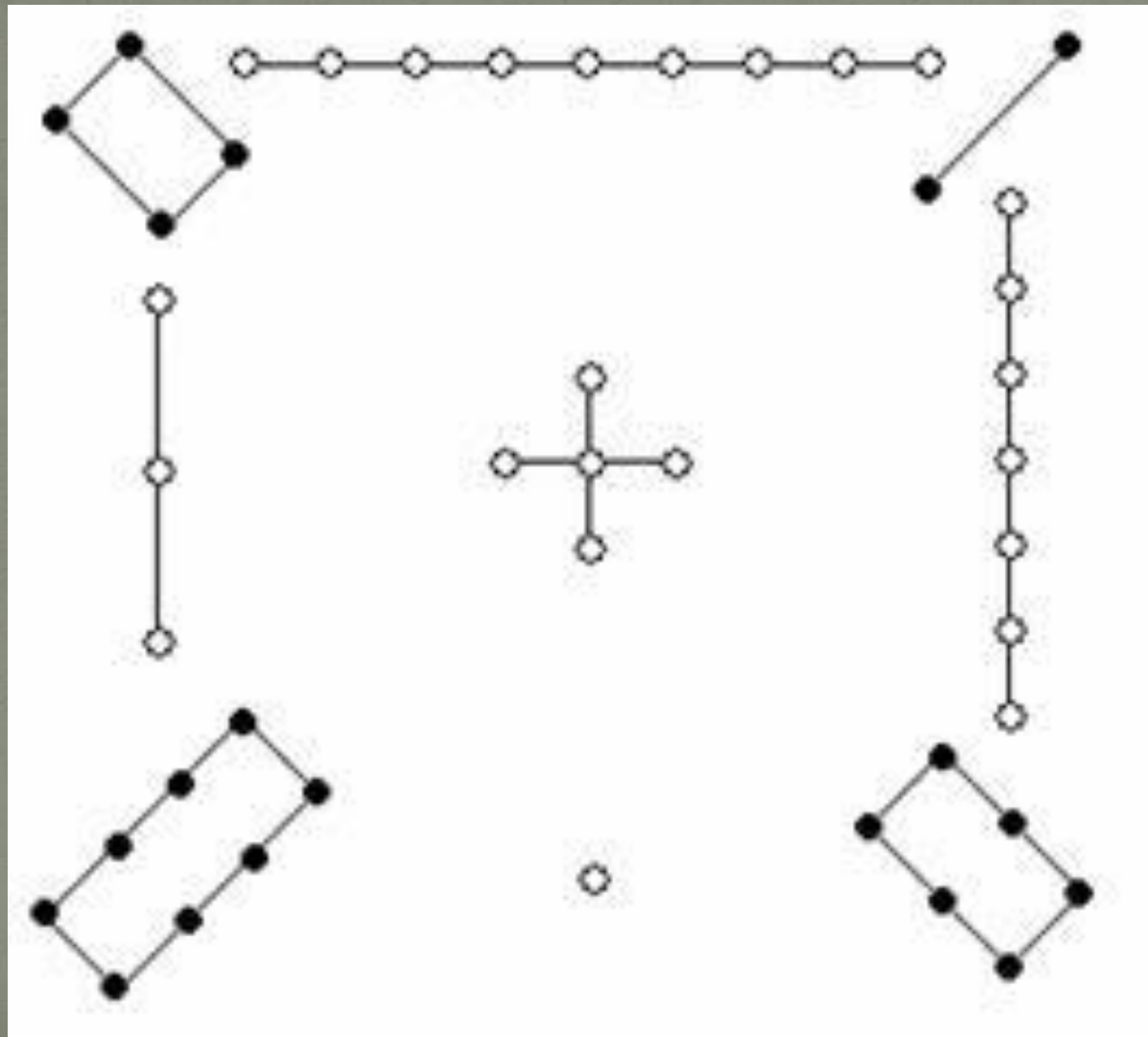
Indigenous Chinese Math



# Lo-Shu



# Lo-Shu





# Binomial Expansion

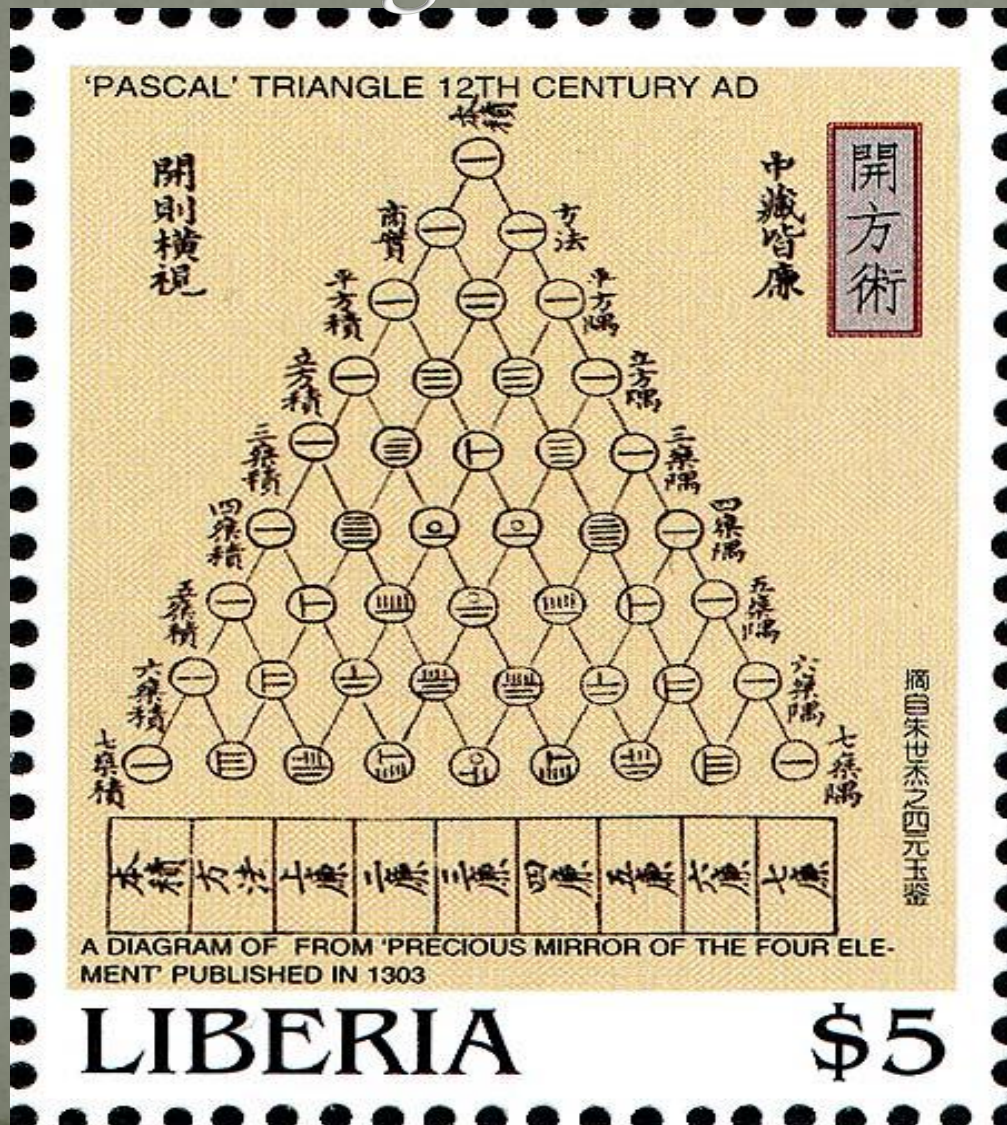
$$(a + b)^0 = 1$$

$$(a + b)^1 = a + b$$

$$(a + b)^2 = a^2 + 2ab + b^2$$

$$(a + b)^3 = a^3 + 3a^2b + 3ab^2 + b^3$$

# Pascal's Triangle

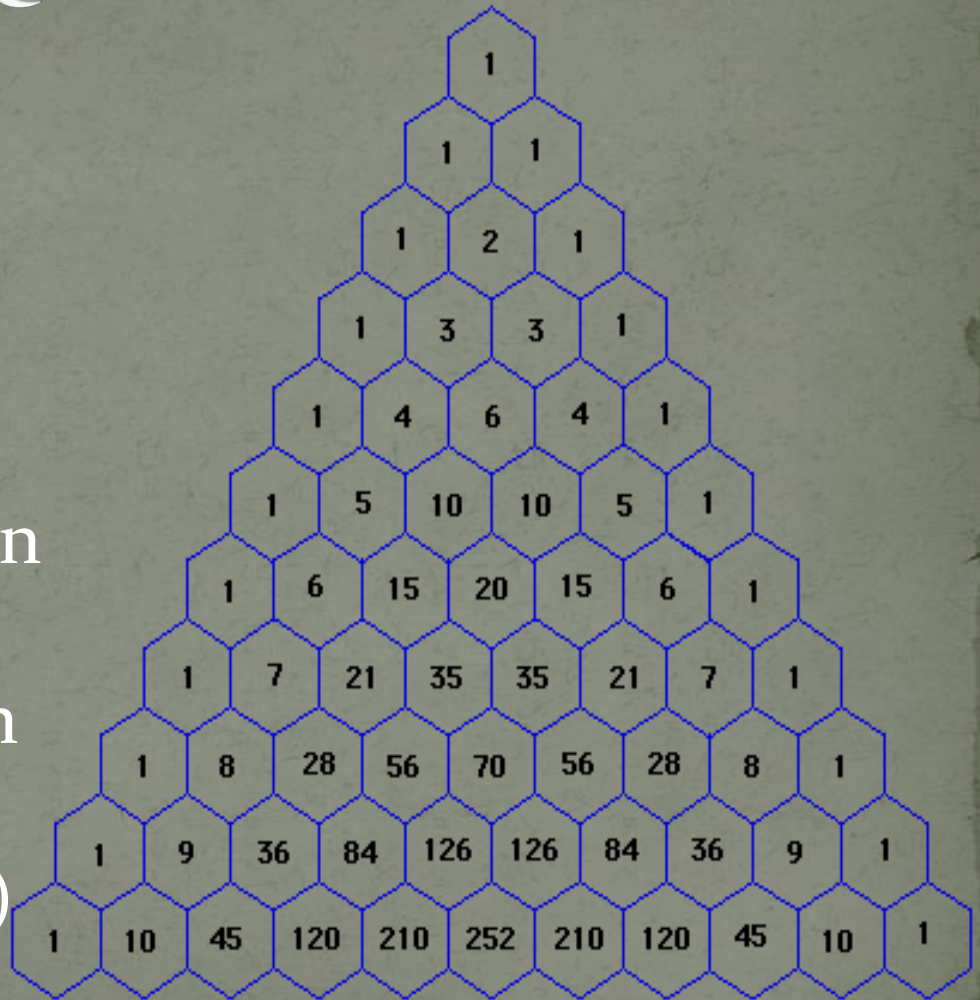


# Pascal's Triangle

Each row makes up the coefficients of the binomial expansion of

$$(x + y)^n$$

The sum of the numbers in any row is equal to 2 to the  $n^{\text{th}}$  power or  $2^n$ , when  $n$  is the number of the row. (Starting with  $n=0$ )



# Pascal's Triangle

Powers of 11

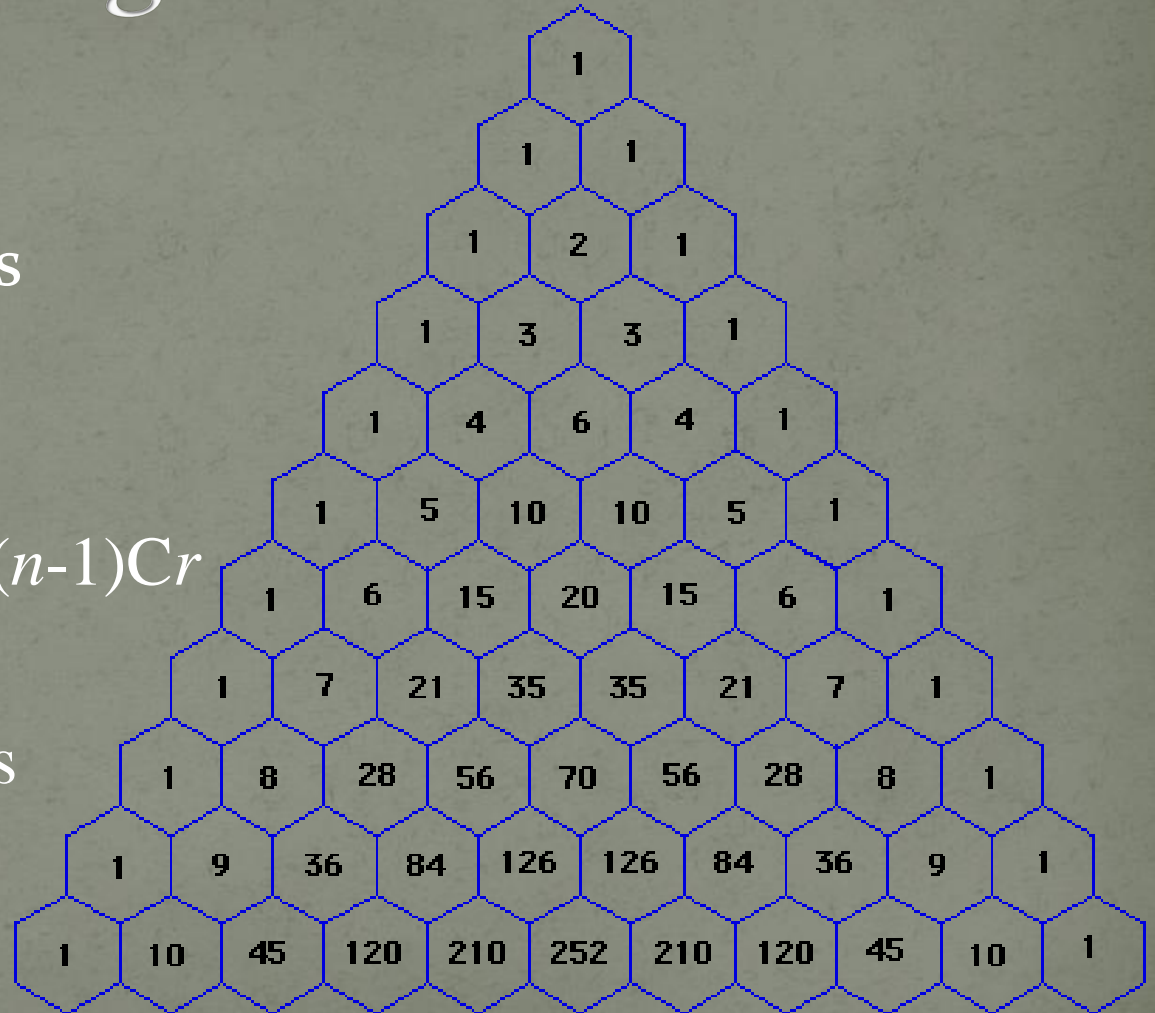
Triangular Numbers

$${}^n C_r = \frac{n!}{r!(n-r)!}$$

$${}^n C_r = ({}^{n-1} C_{r-1}) + ({}^{n-1} C_r)$$

Discovered 300 years

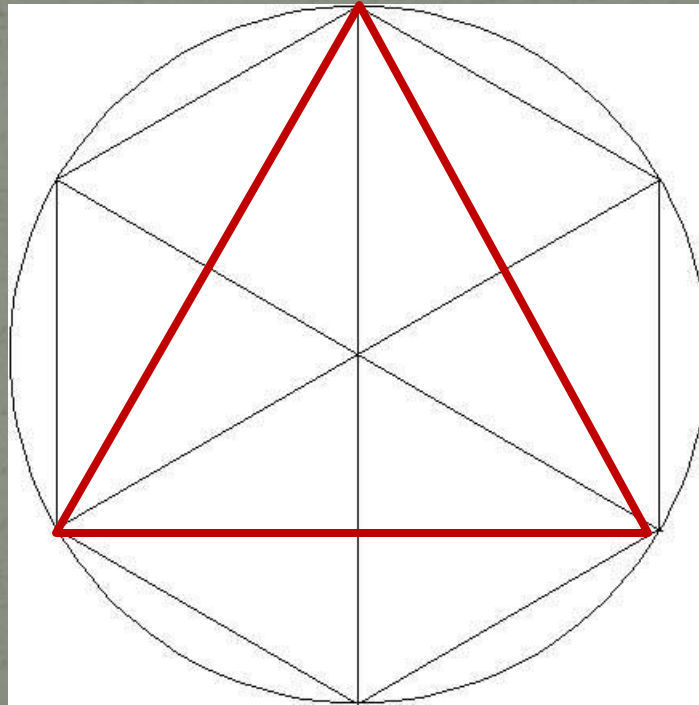
later by Pascal.



# Blaise Pascal



# Archimedes (287-212 BCE)



Archimedes (287-212 BCE)

Using a 96 sided inscribed and circumscribed polygons Archimedes found the following estimation:

$$3 \frac{10}{71} < \pi < 3 \frac{1}{7}$$

# Liu Hui

Using a method similar to Archimedes, Liu Hui calculated the areas of regular polygons with 96 and 192 sides, and approximated pi to be between 3.1410 and 3.1427.

With a polygon of 3,072 sides he determined 3.14159 to be the value of pi.

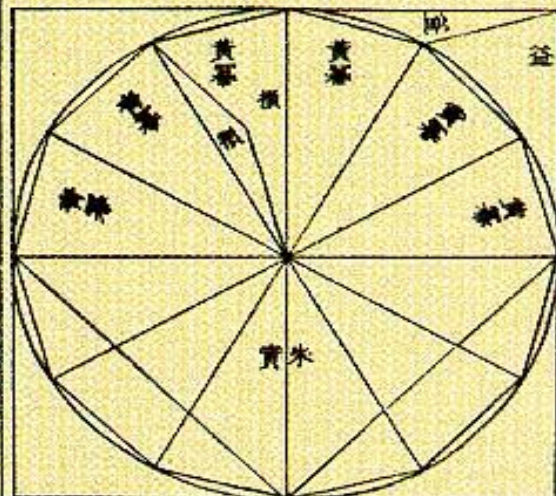




# Lui Hui

A REFINED VALUE OF  $\pi$  3RD CENTURY AD

## 弧田圖



## 圓周率

得徑七周二十二乃祖氏之約率非密率也淳  
 風等以為密率失其實矣徽率與祖氏之約  
 率相較則微  
 率密於約率

摘自《國魏劉徽九章算經》

據注意取半圓驗  
 之黃幕令損益相  
 補適滿大方四分  
 之一則青幕適八  
 分之二也合青黃  
 幕為半外方四分  
 之三朱實與黃幕  
 相等舊以十觚之  
 幕為圓幕又以半  
 圓論弧矢立法之  
 疎顯然

LUI HUI'S NINE CHAPTER ON THE MATHEMATICS AD 264

FEDERATED STATE OF  
 MICRONESIA

33¢

# Tsu Ch'ung-Chih

Using regular polygons with 12,288 and 24,576 sides , he calculated pi to be between 3.1415926 and 3.1415927, an accuracy not achieved in the west for another 1000 years.

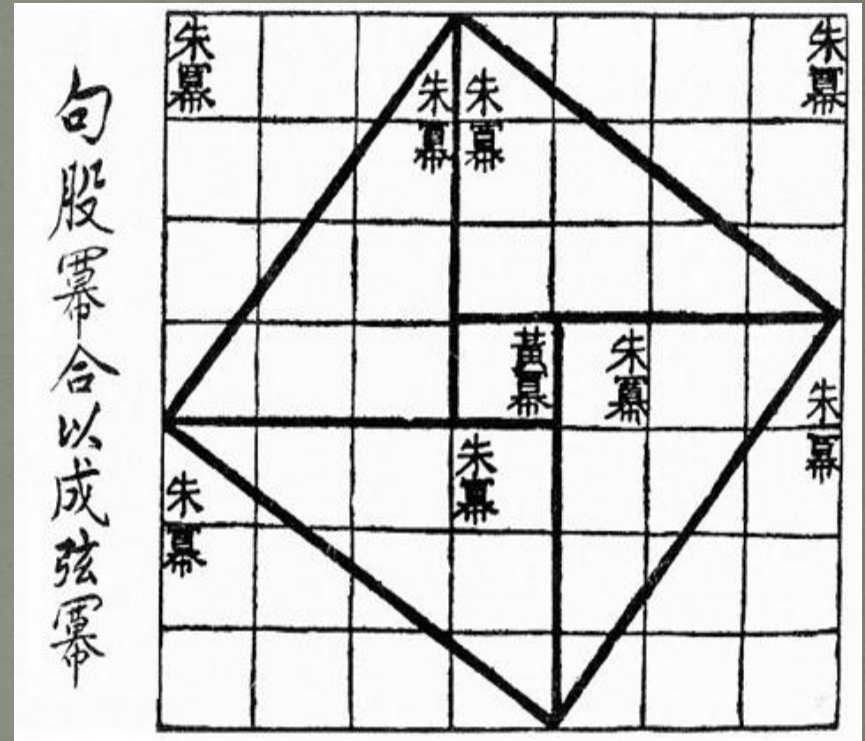
He also gave the “best” rational approximation,  $355/113$  , with a three digit denominator, for pi.



# Pythagorean Theorem

The Chinese text, “Chou Pei Suan Ching” provides a graphical proof of what we come to know as Pythagorean theorem in 200 BCE.

This work was known to Lui Hui as the Gougu Theorem.



Cue Movie!

# Abacus

